

# Nonreciprocal polarization converter consisting of asymmetric waveguide with ferrimagnetic Ce:YIG

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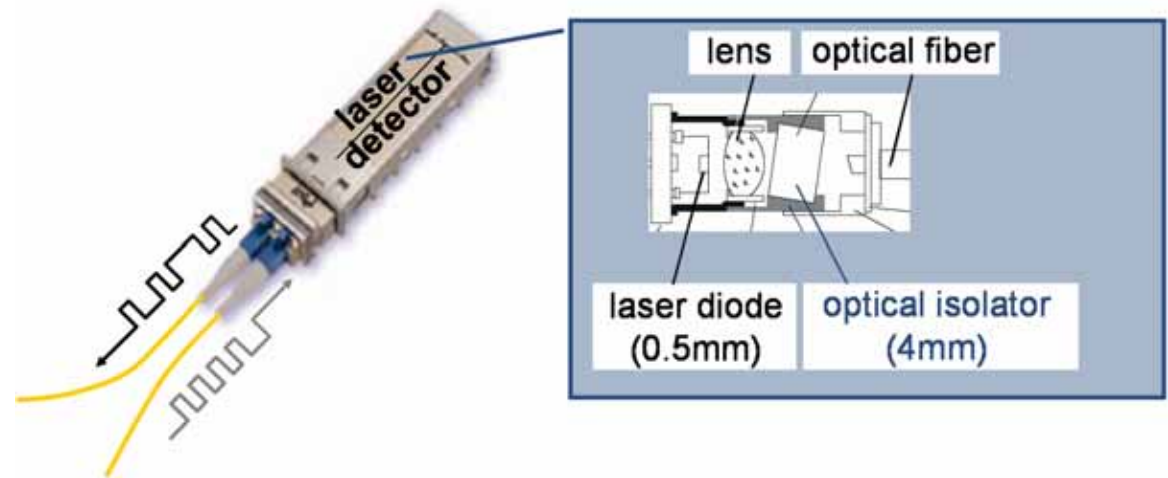
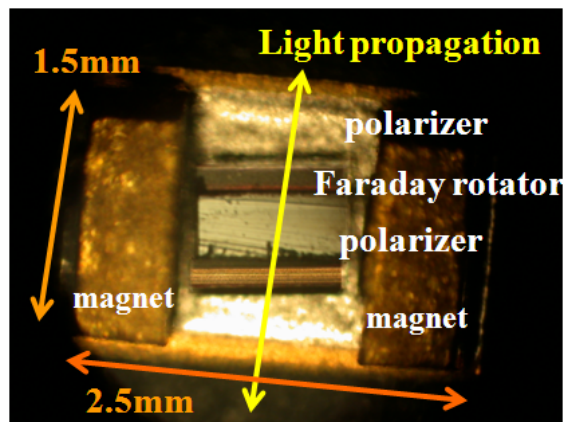
T. Amemiya, T. Tanemura, and Y. Nakano



# Introduction

Commercially available optical isolators

⇒ Faraday rotation of the magneto-optical materials (garnets).



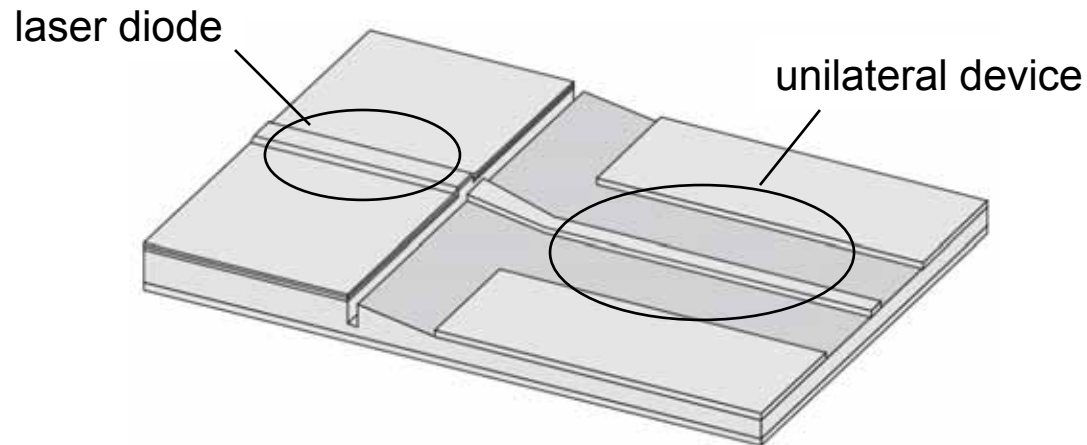
Conventional bulk isolators **are not suitable for monolithic integration** with other waveguide-based optical devices.

# Waveguide-based unilateral devices

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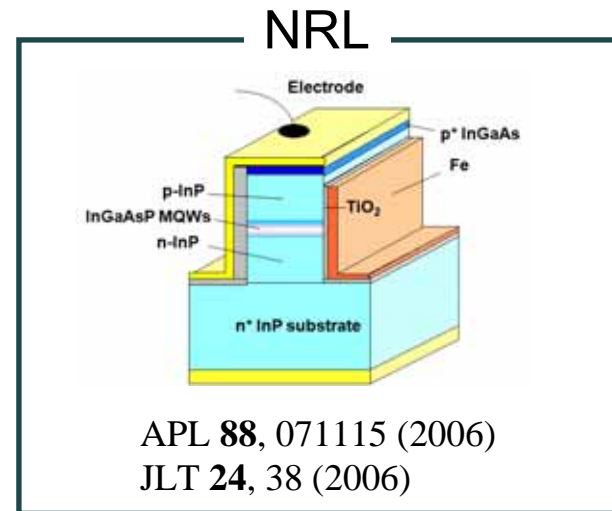
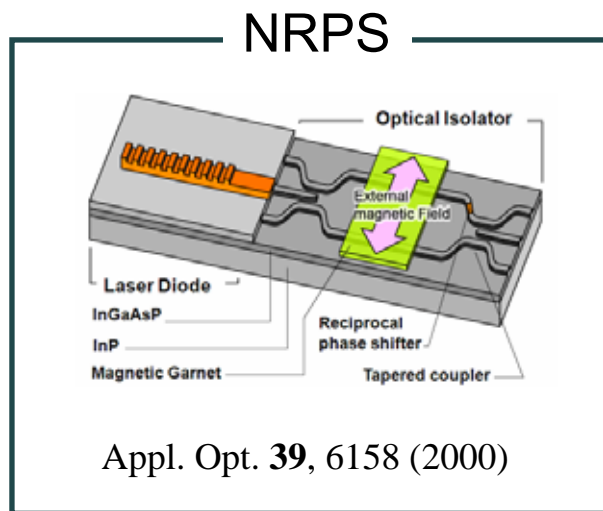
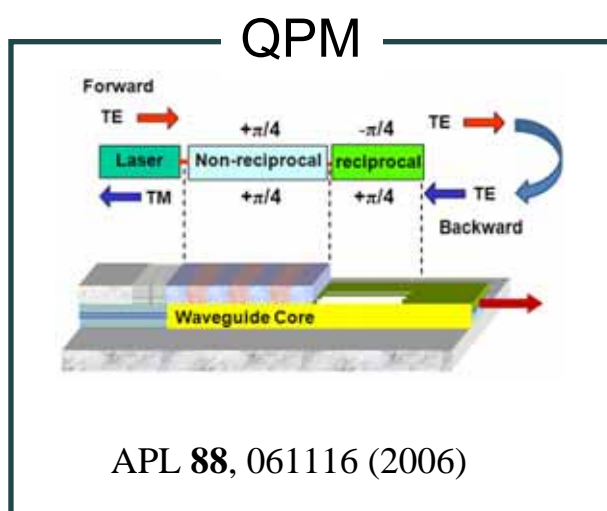
## Waveguide-based unilateral devices

- enhancement of stability in photonic integrated circuits
- reduction of cost and size of laser diode package

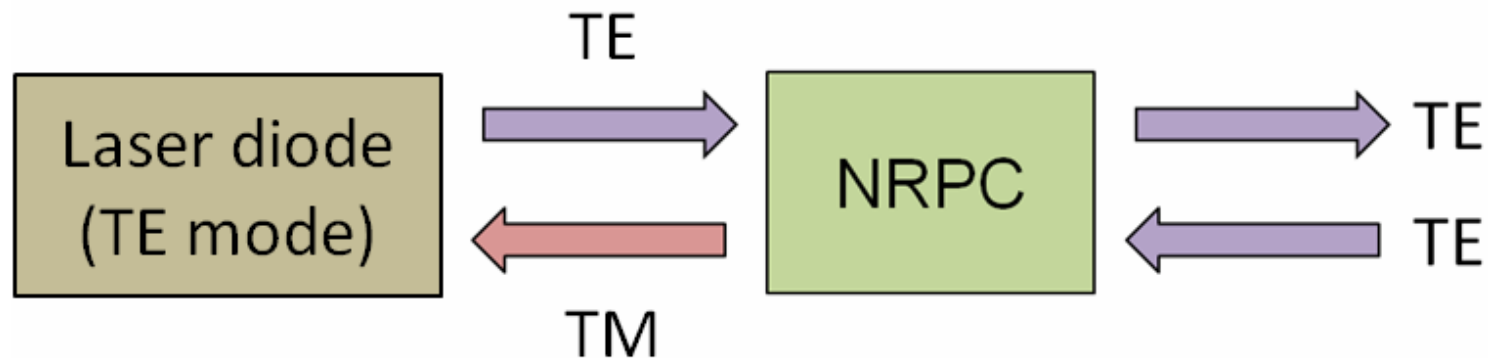


# Waveguide isolators studied in recent years

Type	Material	Performance	Fabrication	Size
QPM faraday rotation	Ce:YIG/ GaAs/AlGaAs	< 10 dB/mm	△	< 1 mm
Nonreciprocal phase shift (NRPS)	Ce:YIG/ GaInAsP/InP	30 dB/mm	×	2 - 4 mm
Nonreciprocal loss (NRL)	Fe/ GaInAsP/InP	15 dB/mm	○	< 0.5 mm

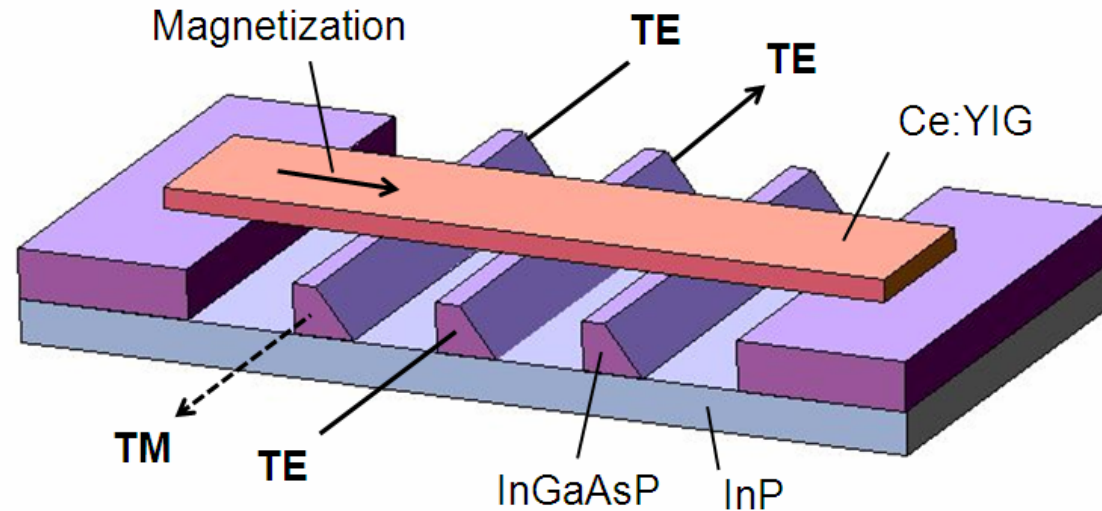


# Concept of nonreciprocal polarization converter



- I. By inserting a NRPC at the output port of a laser, we can suppress the coherent interference between the lasing light and back-reflected light.
- II. We can also make a waveguide isolator by combining the NRPC with a waveguide polarizer or mode splitter.

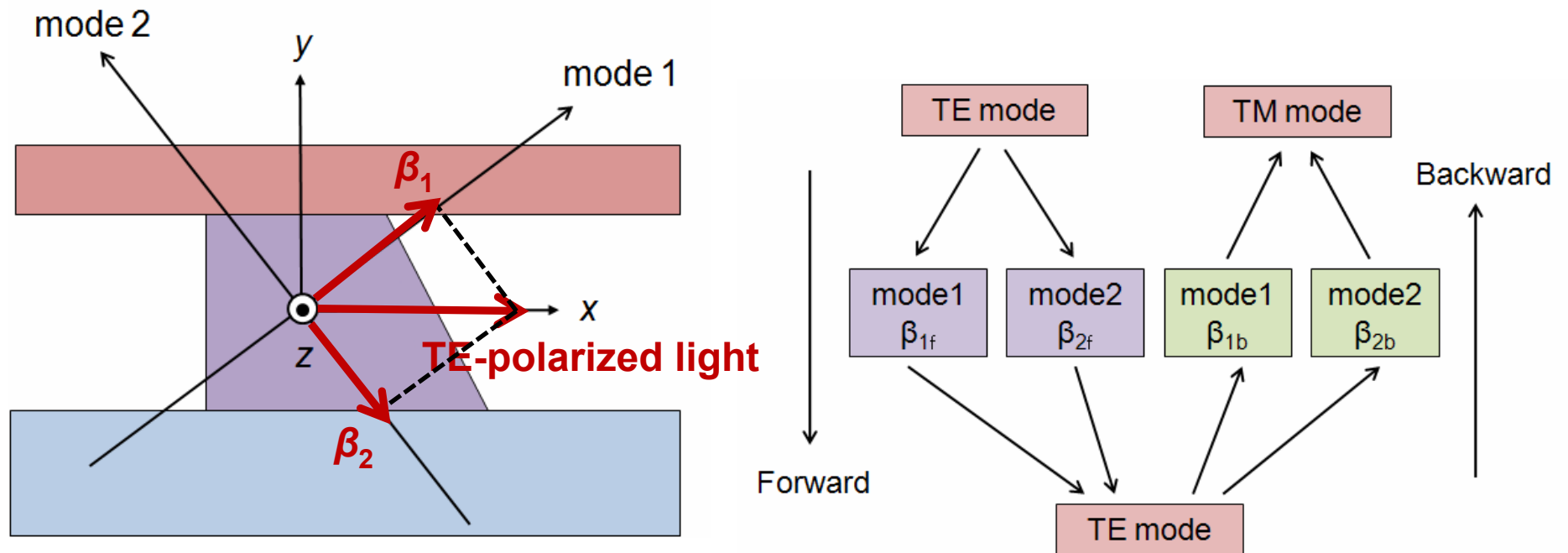
# Structure of our NRPC



Our device has **several advantages** over other waveguide-based unilateral devices reported so far.

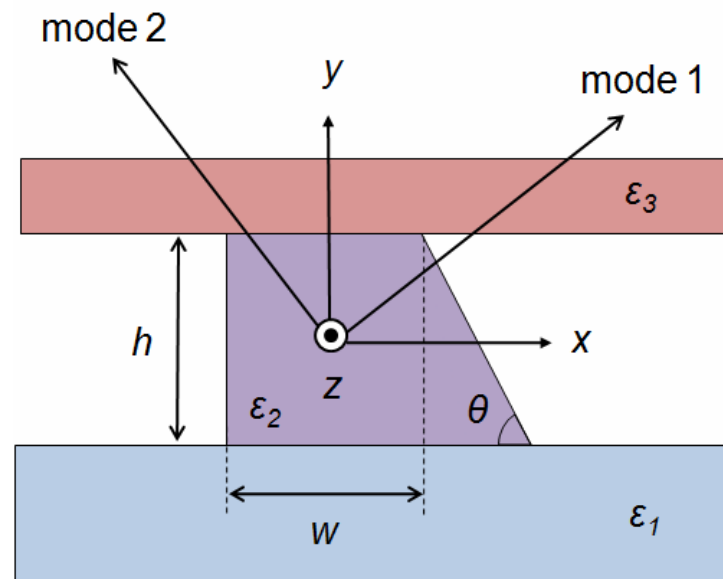
Material	Performance	Fabricatio	Size
Ce:YIG/ GaInAsP/InP	Over 90 % nonreciprocal polarization conversion (without electric power)	○	< 0.3 mm

# Basic principle of our NRPC



The values of  $\beta_1$  and  $\beta_2$  are different between forward and backward propagations because of the magneto-optic transverse Kerr effect induced by the ferrimagnetic Ce:YIG.

# Parameters for simulation



@1.55 $\mu\text{m}$

Symbol	Parameter	Value
$\epsilon_1$	Refractive index of InP	3.16
$\epsilon_2$	Refractive index of GaInAsP	3.4
$\epsilon_3$	Refractive index of Ce:YIG	2.2
$\Theta$	Magneto-optical effect for Ce:YIG	-4500 (deg/cm)
$\theta$	Angle of the asymmetric waveguide	53°
$h$	Height of the device	<b>1.1</b> ( $\mu\text{m}$ )
$w$	Width of the device	<b>0.9 – 1.4</b> ( $\mu\text{m}$ )



# Simulation process

<x-y plane>

With the aid of FDM (full-vector wave equations)

(1) Propagation constant for each mode

(2) Electric field distribution



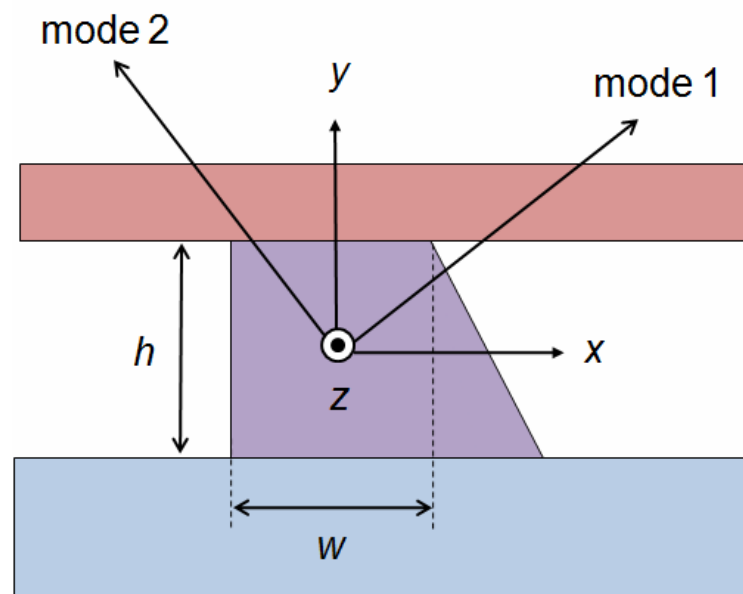
Optimize the device structure



<z-axis>

With the aid of vectorially corrected (VC) method

Power intensity along light propagation



W. P. Huang, JQE **29**, 2639 (1993)  
M. Fontaine, JOSA B **15**, 964 (1998)

# Full-vector wave equations (x-y plane)

Dielectric tensor of each layer  $\epsilon^{\mu\nu} = \begin{pmatrix} \epsilon_r & 0 & 0 \\ 0 & \epsilon_r & j\alpha \\ 0 & -j\alpha & \epsilon_r \end{pmatrix}$

## Non-magnetic layer

**1st**  $\partial_x^2 E_x + \partial_y^2 E_x + (k_0^2 \epsilon_r - \beta^2) E_x + \partial_x \left( \frac{1}{\epsilon_r} \partial_x \epsilon_r \cdot E_x \right) + \partial_x \left( \frac{1}{\epsilon_r} \partial_y \epsilon_r \cdot E_y \right) = 0$

**2nd**  $\partial_x^2 E_y + \partial_y^2 E_y + (k_0^2 \epsilon_r - \beta^2) E_y + \partial_y \left( \frac{1}{\epsilon_r} \partial_x \epsilon_r \cdot E_x \right) + \partial_y \left( \frac{1}{\epsilon_r} \partial_y \epsilon_r \cdot E_y \right) = 0$

## Magnetic layer

**1st**  $\partial_x^2 E_x + \partial_y^2 E_x + (k_0^2 \epsilon_r - \beta^2) E_x + \partial_x \left( \frac{1}{\epsilon_r} \partial_x \epsilon_r \cdot E_x \right) + \partial_x \left( \frac{1}{\epsilon_r} \partial_y \epsilon_r \cdot E_y \right) + \alpha \omega \mu_0 \partial_x \left( \frac{\Psi}{\epsilon_r} \right) = 0$

**2nd**  $\partial_x^2 E_y + \partial_y^2 E_y - \beta^2 E_y + \Lambda + \partial_y \left( \frac{1}{\epsilon_r} \partial_x \epsilon_r \cdot E_x \right) + \partial_y \left( \frac{1}{\epsilon_r} \partial_y \epsilon_r \cdot E_y \right) + \alpha \omega \mu_0 \partial_y \left( \frac{\Psi}{\epsilon_r} \right) = 0$

$$\Psi = \frac{\alpha \omega \epsilon_0}{\epsilon_r \beta^2 + k_0^2 \alpha^2} \left[ \frac{\epsilon_r \beta}{k_0^2 \alpha} (\partial_x^2 E_y - \partial_x \partial_y E_x) - \partial_x (\epsilon_r E_x) - \partial_y (\epsilon_r E_y) - \frac{\epsilon_r^2 \beta}{\alpha} E_y \right]$$

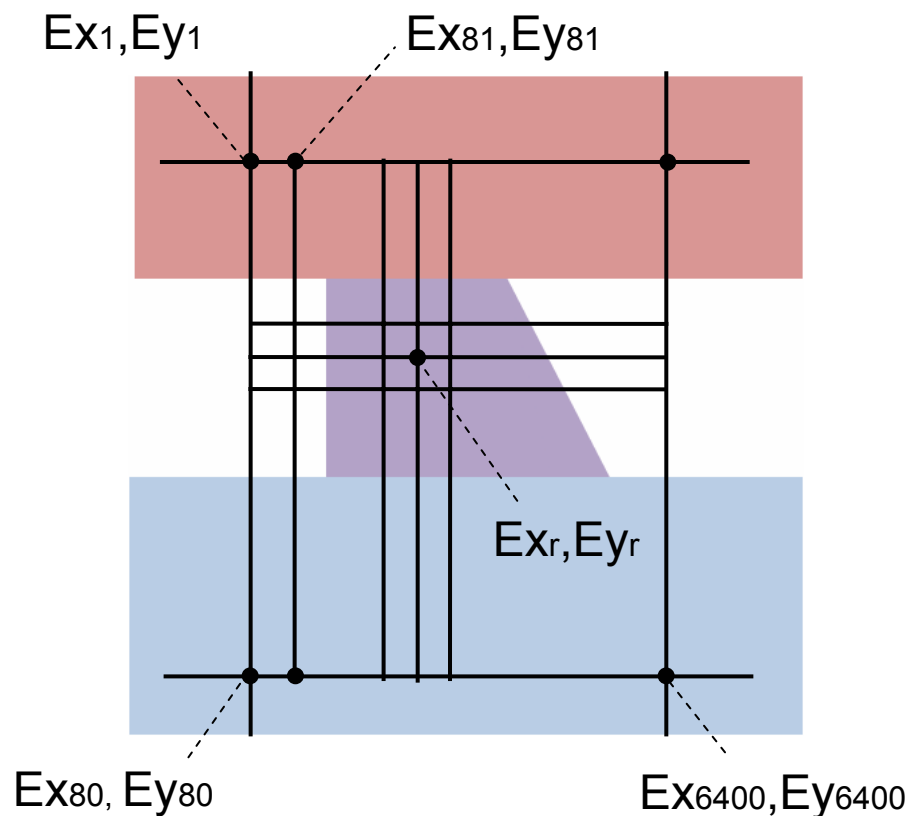
$$\Lambda = \frac{k_0^2 \alpha^2}{\epsilon_r \beta^2 + k_0^2 \alpha^2} (\partial_x^2 E_y - \partial_x \partial_y E_x) + \frac{\alpha \beta k_0^2}{\epsilon_r \beta^2 + k_0^2 \alpha^2} [\partial_x (\epsilon_r E_x) + \partial_y (\epsilon_r E_y) + \frac{\epsilon_r^2 \beta}{\alpha} E_y]$$

# FDM solution (x-y plane)

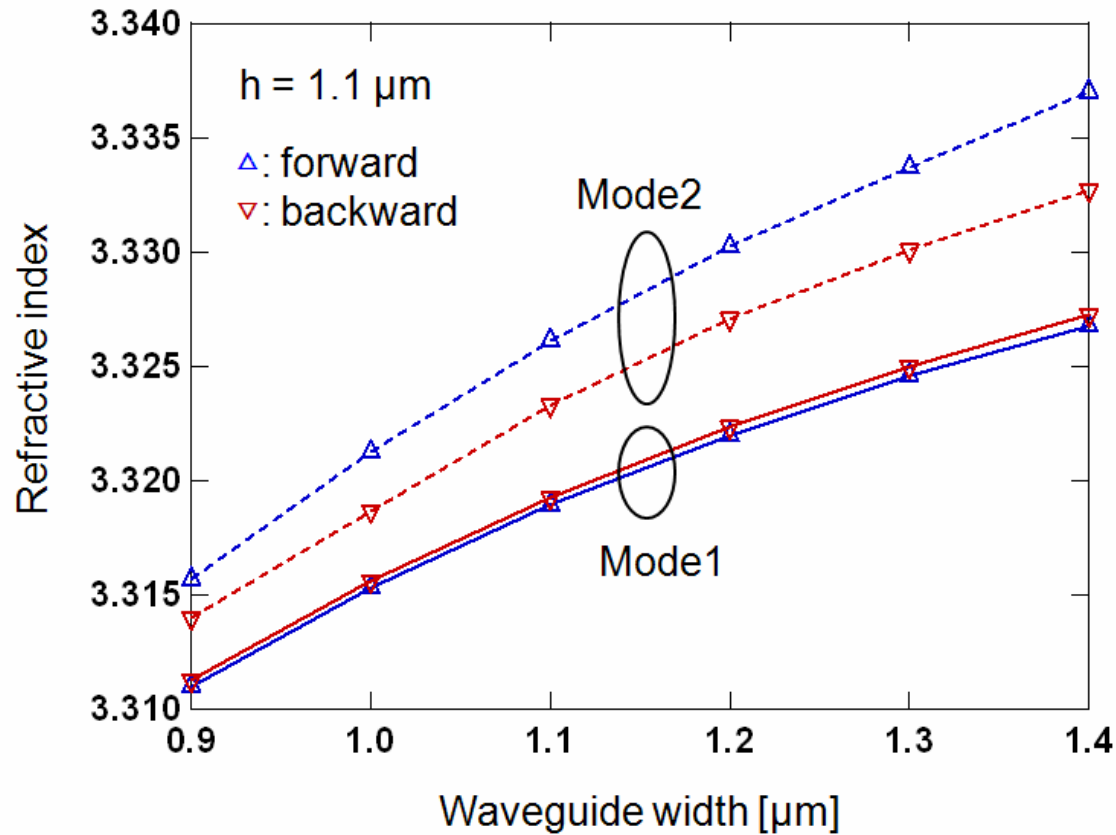
Using the discrete form of the differential operators, we obtained finite-difference equations for electric field component  $E_x$  and  $E_y$ .

$$\left( \begin{array}{l} \text{1st} \\ \text{Full-vector equation} \\ \text{2nd} \\ \text{Full-vector equation} \end{array} \right) \begin{pmatrix} E_{x_1} \\ E_{x_2} \\ \vdots \\ E_{x_{6400}} \\ E_{y_1} \\ E_{y_2} \\ \vdots \\ E_{y_{6400}} \end{pmatrix} = 0$$

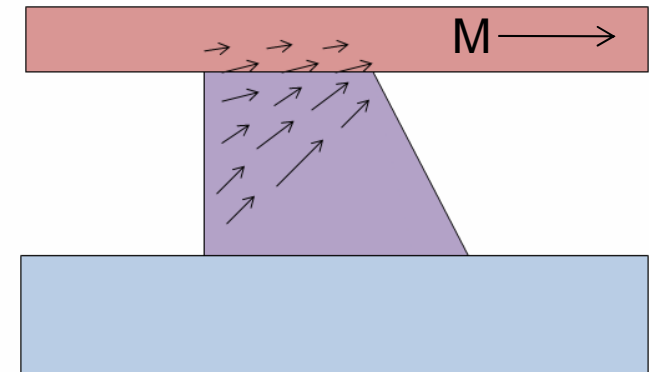
Mesh: 80×80  
Mesh width: 50 (nm)



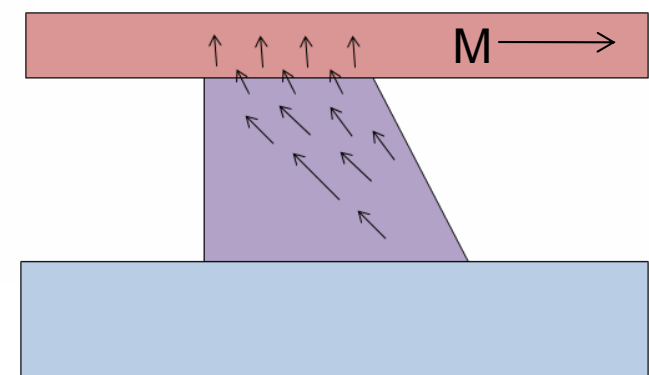
# Refractive index for orthogonal two modes



Effective refractive index =  $\beta / k_0$



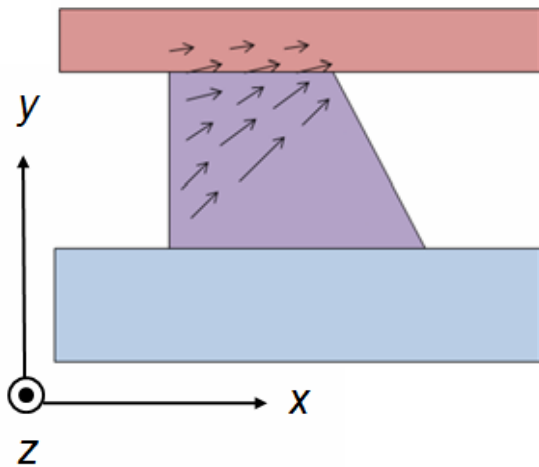
Mode1 (Electric field)



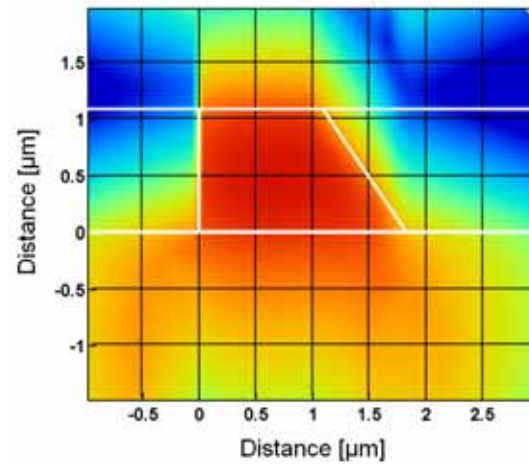
Mode2 (Electric field)

# Electric field distributions in our device

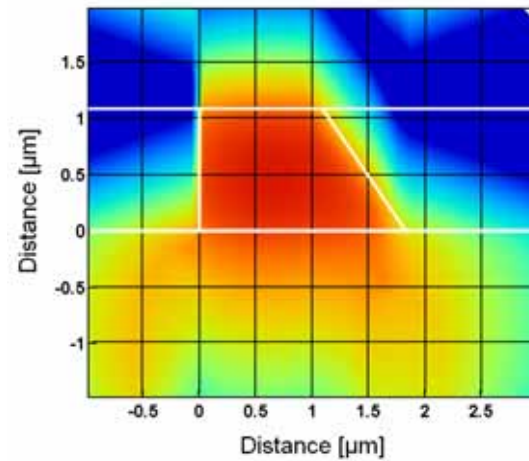
Mode1



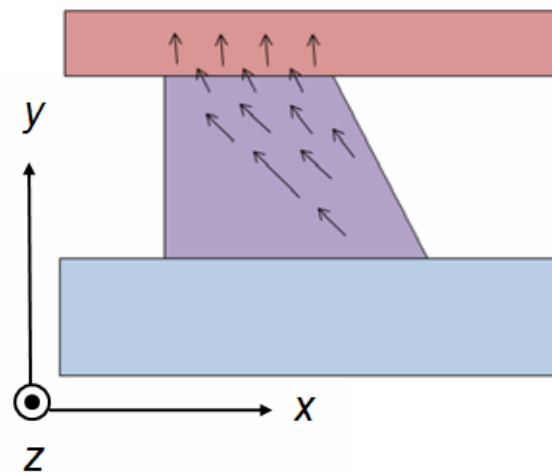
Mode1,  $|E_x|$



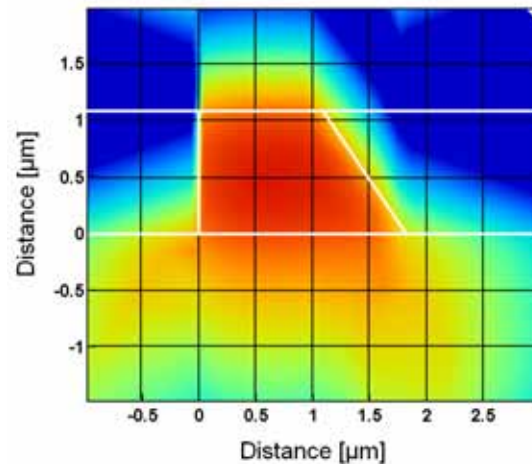
Mode1,  $|E_y|$



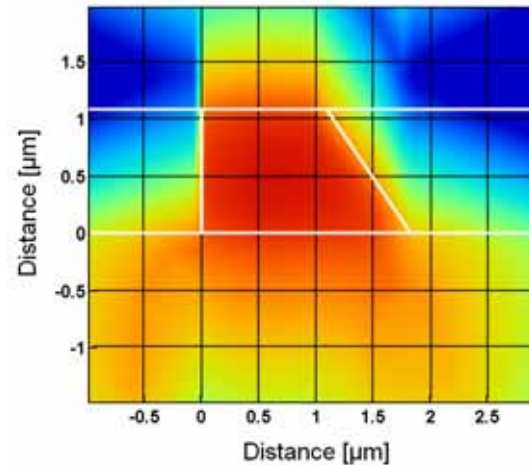
Mode2



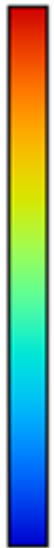
Mode2,  $|E_x|$



Mode2,  $|E_y|$



$x=15$



$10^x$

$x=-5$

# Simulation process

<x-y plane>

With the aid of FDM method (full-vector wave equations)

(1) Propagation constant for each mode

(2) Electric field distribution



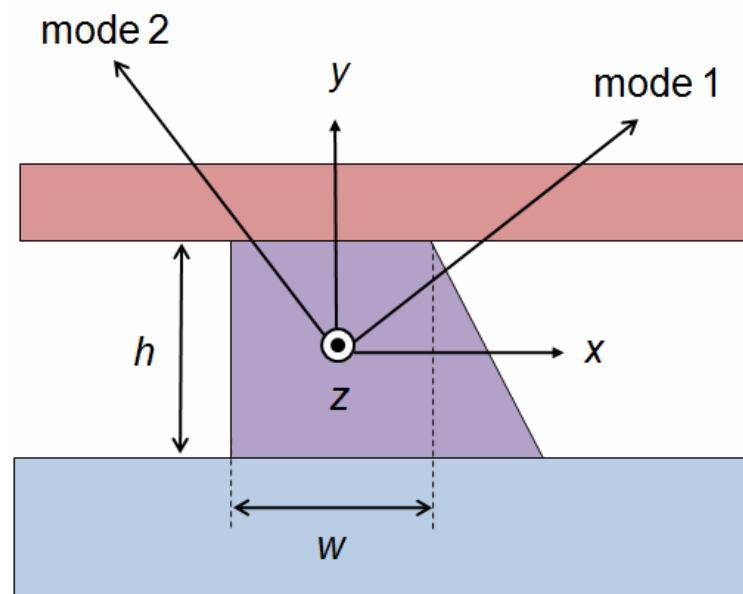
Optimize the device structure



<z-axis>

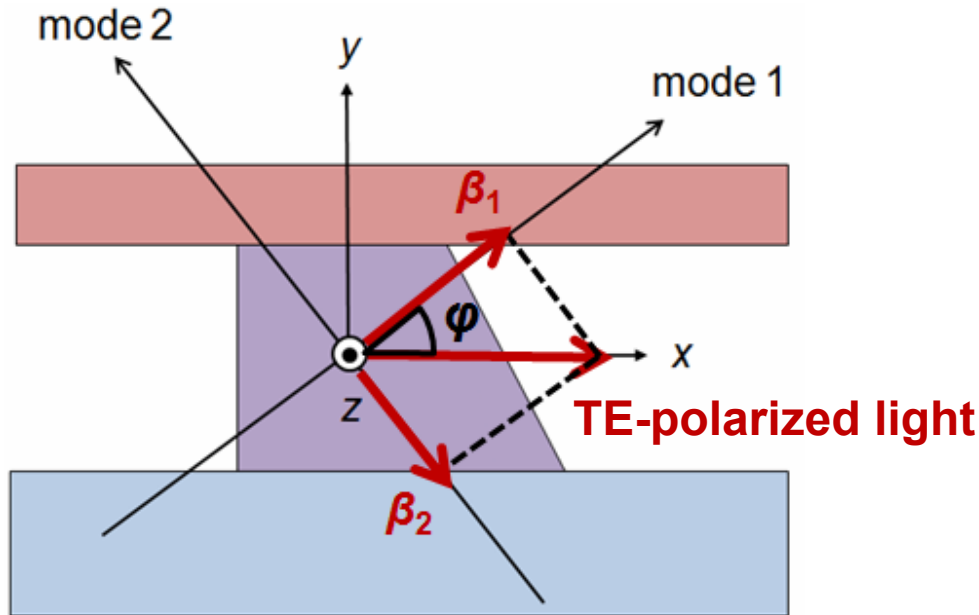
With the aid of vectorially corrected (VC) method

Power intensity along light propagation



W. P. Huang, JQE **29**, 2639 (1993)  
M. Fontaine, JOSA B **15**, 964 (1998)

# Optimizing the device structure (I)



## Half Beat length

$$L = \frac{\pi}{|\beta_1 - \beta_2|}$$

TE → TM

## Rotation parameter

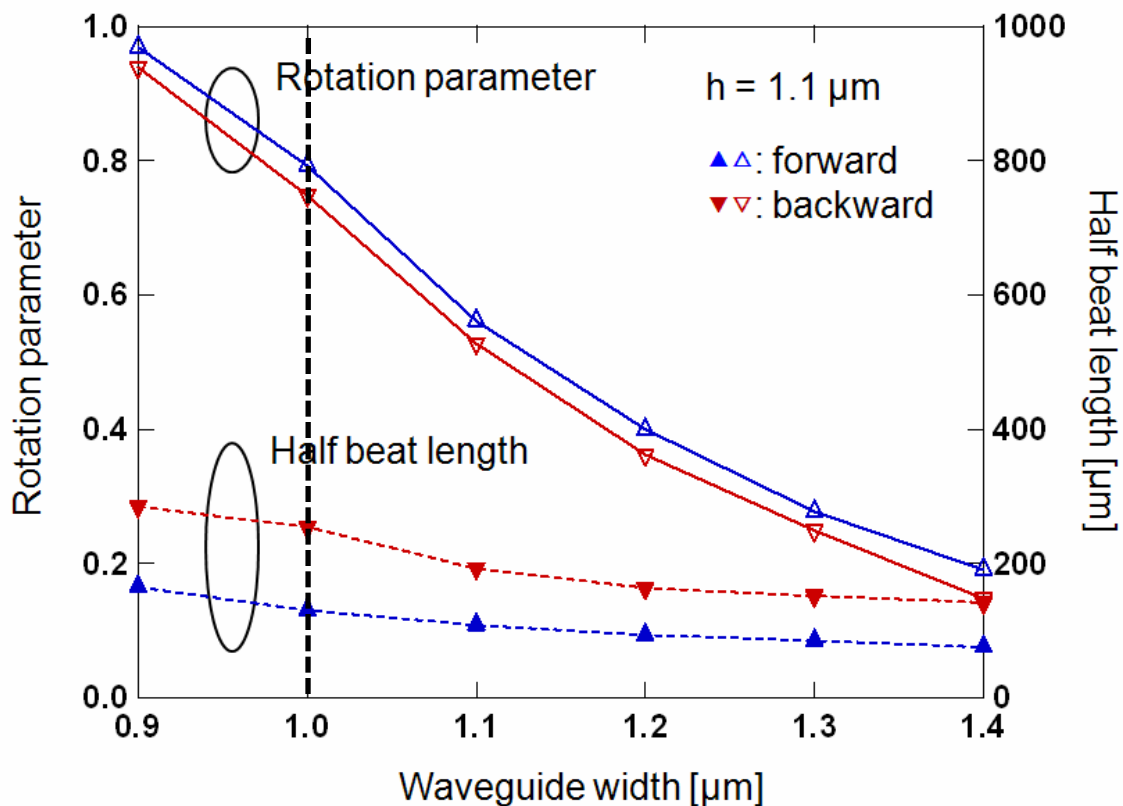
$$R = \left| \frac{\int_{A_\infty} \epsilon_r E_y^2 dx dy}{\int_{A_\infty} \epsilon_r E_x^2 dx dy} \right|$$

$$R=1 \Rightarrow \varphi=45^\circ$$

The necessary conditions for efficient nonreciprocal conversion

- ✓ Backward half-beat length is **twice as large as** forward one.
- ✓ **Angle  $\varphi$**  should be almost  $45^\circ$ .

# Optimizing the device structure (II)



To achieve an effective non-reciprocal conversion,

(I) The half-beat length for backward light must be twice as large as that for forward.

(II) The rotation parameter  $R$  should be near 1.

We optimized structure of the device.

$$w = 1.0 \mu\text{m}, h = 1.1 \mu\text{m}$$



# Simulation process

<x-y plane>

With the aid of FDM method (full-vector wave equations)

- (1) Propagation constant for each mode
- (2) Electric field distribution



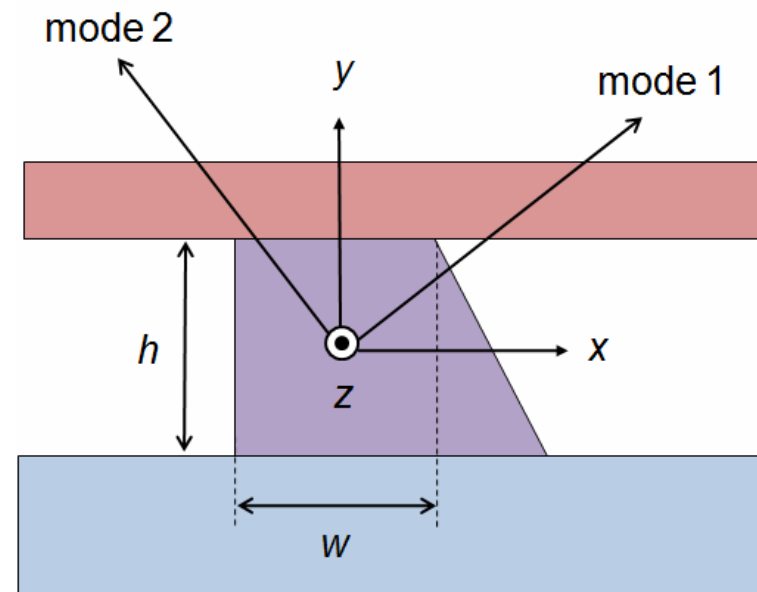
Optimize the device structure



<z-axis>

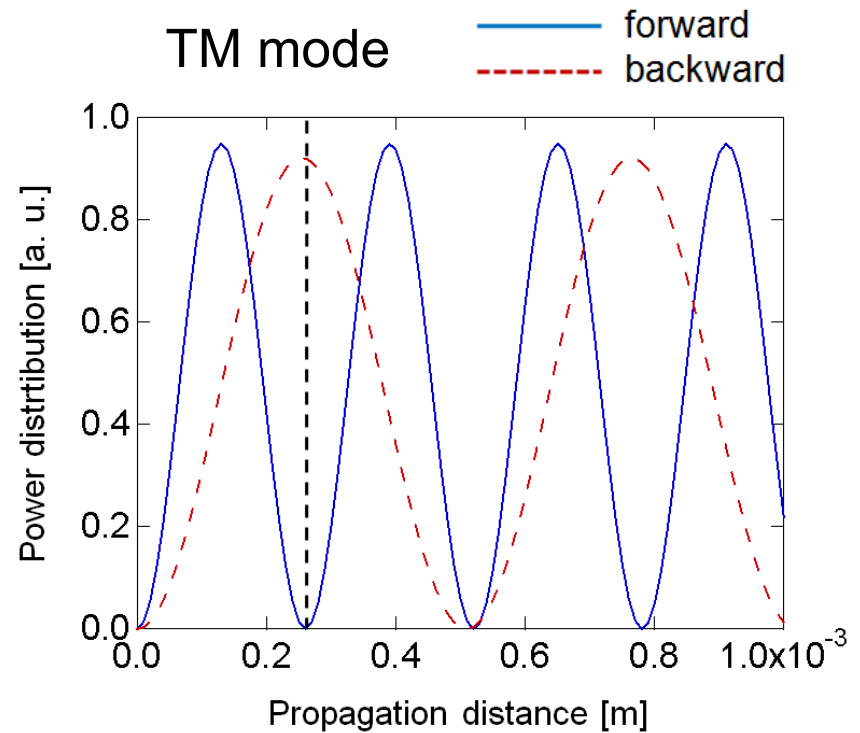
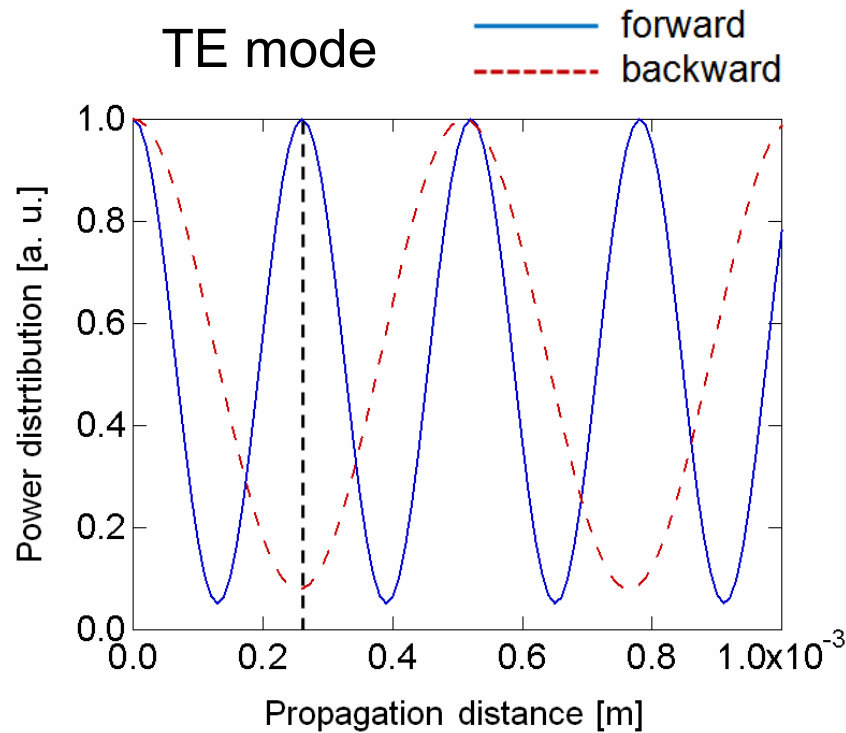
With the aid of vectorially corrected (VC) method

Power intensity along light propagation



W. P. Huang, JQE **29**, 2639 (1993)  
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# Power intensity along light propagation



$$u(z) = \frac{1 - \exp(iz|\beta_1 - \beta_2|)}{R + \frac{1}{R} \exp(iz|\beta_1 - \beta_2|)}$$

Device length: **0.27mm**

Nonreciprocal polarization conversion: **92%**

Forward light: TE→TE

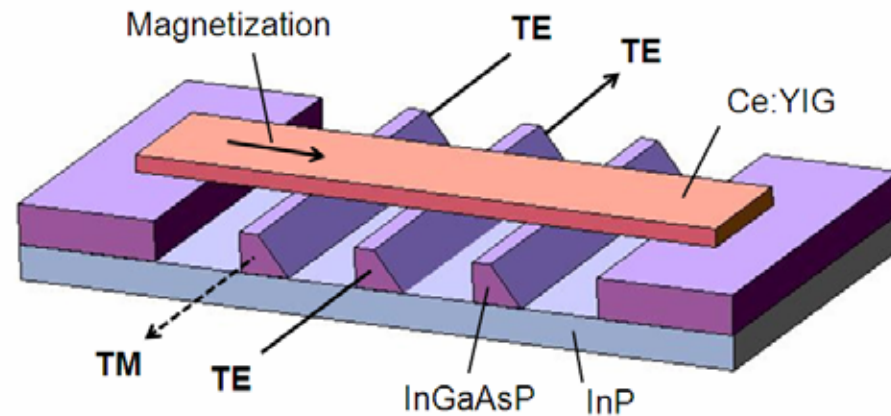
Backward light: TE→TM

M. Fontaine, JOSA B **14**, 1444 (1997)

M. Fontaine, JOSA B **15**, 964 (1998)

# Summary

- ✓ We proposed a nonreciprocal TE-TM polarization converter for avoiding the problems caused by undesired reflections of light in photonic integrated circuits.



Material	Performance	Size
Ce:YIG/ GaInAsP/InP	93 % nonreciprocal polarization conversion Forward: TE→TE    Backward: TE→TM	0.27 mm